



**University of Stuttgart**  
Institute of Nuclear Technology  
and Energy Systems

**Power cycle calculations  
and preliminary design  
of a compact heat  
exchanger of a scaled  
down sCO<sub>2</sub>-HeRo-  
system for a PWR glass  
model at KSG/GfS**

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**KE**

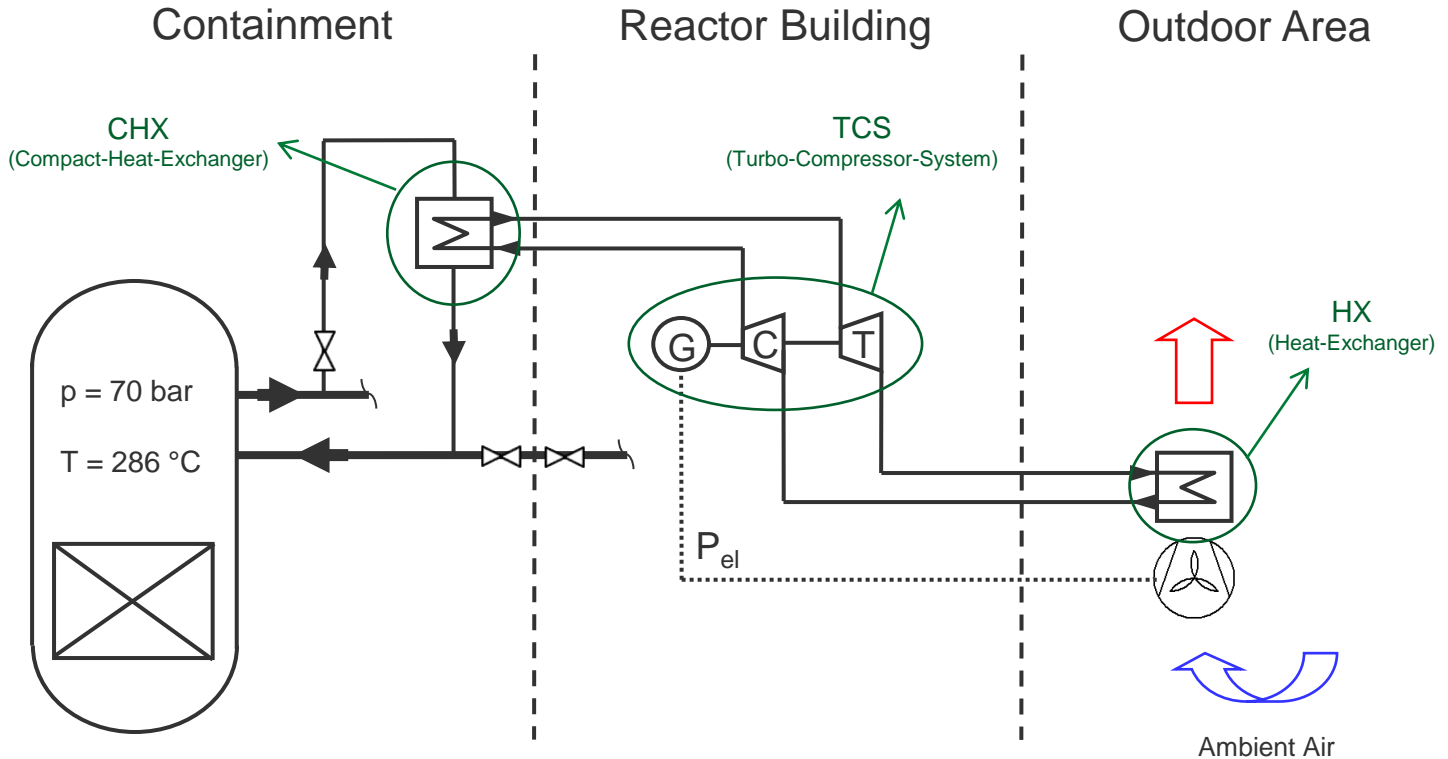
# Outline

- Motivation and Aims
- sCO<sub>2</sub>-HeRo calculations
- Compact heat exchanger
- Experimental investigation of the CHX
- Summary and Further work

# Motivation

- In case of an accident in an nuclear power plant, the decay heat must be transferred reliably from the reactor core to the environment (heat sink)
- Active safety system may possibly not work, because they require electricity for activation or during operation
- New reactor concepts are equipped with passive safety systems and redundant heat sinks, but these can not be retrofitted into existing plants
- Because of that, there was the idea of a self-launching, self-propelling and self-sustaining decay heat removal system with supercritical CO<sub>2</sub> as working fluid → called “sCO<sub>2</sub>-HeRo”

# sCO<sub>2</sub>-HeRo system



1) Venker, J.: Development and Validation of Models for Simulation of Supercritical Carbon Dioxid Brayton Cycles and Application to Self-Propelling Heat Removal Systems in BWR. Dissertation, 2015

# sCO<sub>2</sub>-HeRo Project



- Showing the feasibility of the decay heat removal system in a small-scaled demonstrator for the glass model PWR at GfS
- “Proof-of-Principle” of each component of the sCO<sub>2</sub>-HeRo system
- 6 project partners are involved in the EU-project

The project leading to this application has received funding from the *Euratom research and training programme 2014-2018* under grant agreement No 662116.



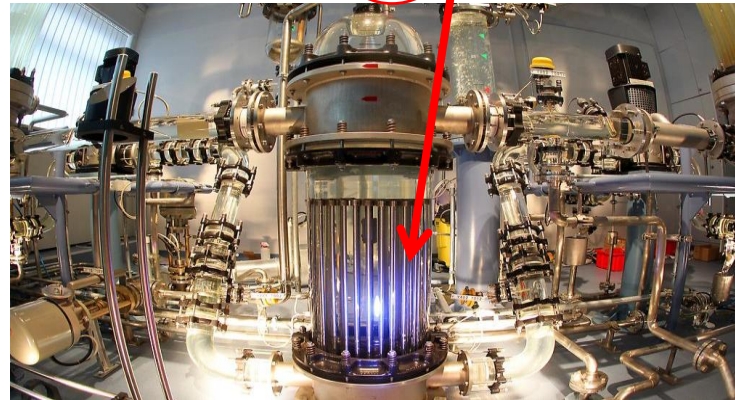
# Objectives

- Perform thermodynamic cycle calculations for a scaled down sCO<sub>2</sub> heat removal system (sCO<sub>2</sub>-HeRo) for the glass model PWR
- Determination of the optimum cycle parameters → excess electricity
- Experimental heat transfer investigations of CHX plates with sCO<sub>2</sub> and condensing steam in the sCO<sub>2</sub>-test-loop and a new steam cycle
- Finally, the design and manufacturing ideas of the CHX for the glass model sCO<sub>2</sub> -HeRo application

# Glass model at GfS

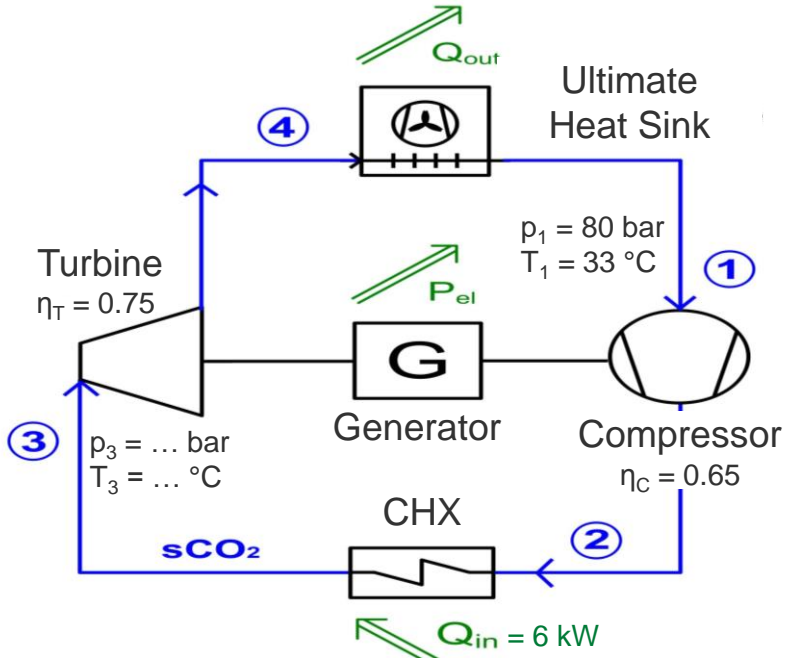
- PWR made of glass
  - Visualize the process
  - Education purpose
- Scale 1:10
- Power 60 kW<sub>th</sub>
- $p_{\max} = 2 \text{ bar}$
- 2 loops with steam generators
- Simulated decay heat
  - Between 0 - 14 kW
  - Steam temperature between 60 - 90 °C → depending on the simulated decay heat power

2) Seewald, M.: Gesellschaft für Simulatorschulung - GfS, Essen, 2016



# sCO<sub>2</sub>-HeRo calculations - Glass model

- Approach: Decay heat will be used for the self sustaining of the cycle
- Objective: Maximum generator excess electricity
- Outcome: Optimum cycle parameters ( $p_{\text{high}}$ ,  $p_{\text{low}}$ ,  $T_{\text{in\_Turbine}}$ ,  $T_{\text{in\_Compressor}}$  ...)

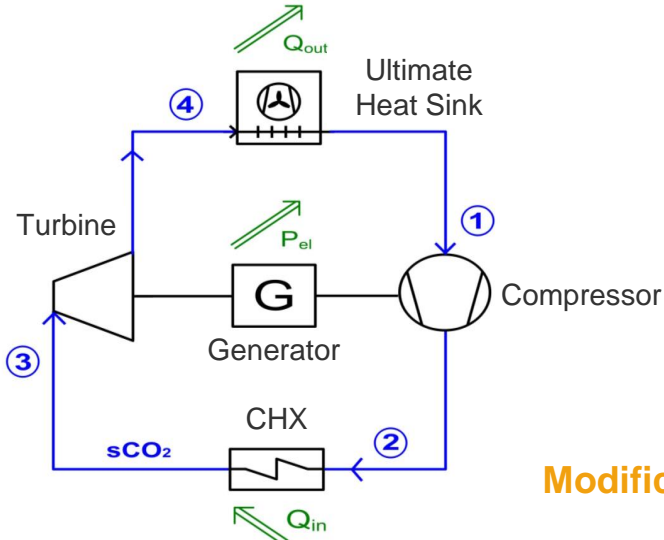


First calculations:

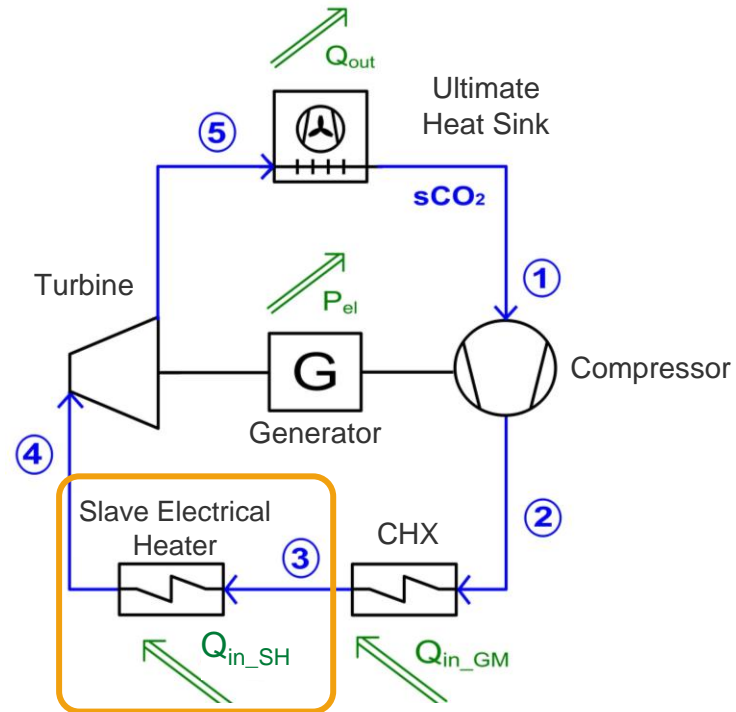
- $P_{\text{el}} = P_{\text{Turbine}} - P_{\text{Compressor}}$
- $P_{\text{el\_max}} = 0.5 \text{ kW} \rightarrow \text{too low !!}$ 
  - No pressure losses considered
  - Efficiencies are not conservative
  - Achievable  $T_{\text{in\_Turbine}}$  too low



# sCO<sub>2</sub>-HeRo calculations II

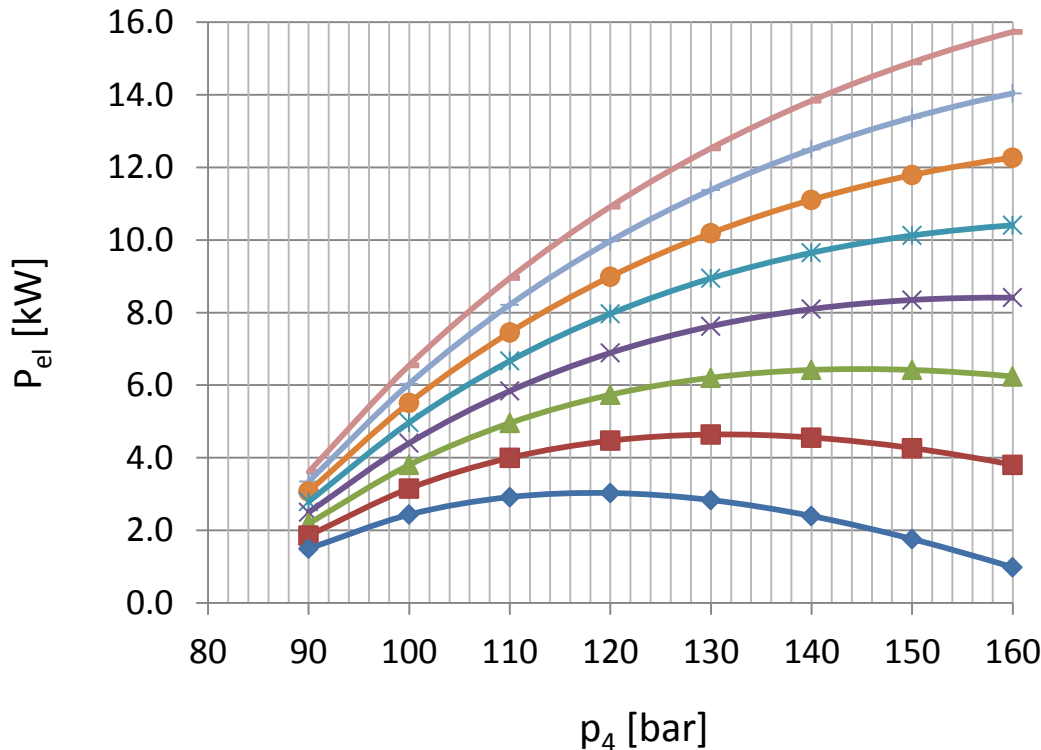


Modification



# sCO<sub>2</sub>-HeRo calculations III

- Further calculations with modified sCO<sub>2</sub>-HeRo cycle
- Excess electricity as a function of p<sub>4</sub> and T<sub>4</sub>



## Boundary Conditions:

$p_1 = 80 \text{ bar}$   
 $T_1 = 33 \text{ °C}$   
 $\eta_{C,is} = 0.65$   
 $\eta_{T,is} = 0.75$   
 $m'_{sCO_2} = 0.65 \text{ kg/s}$

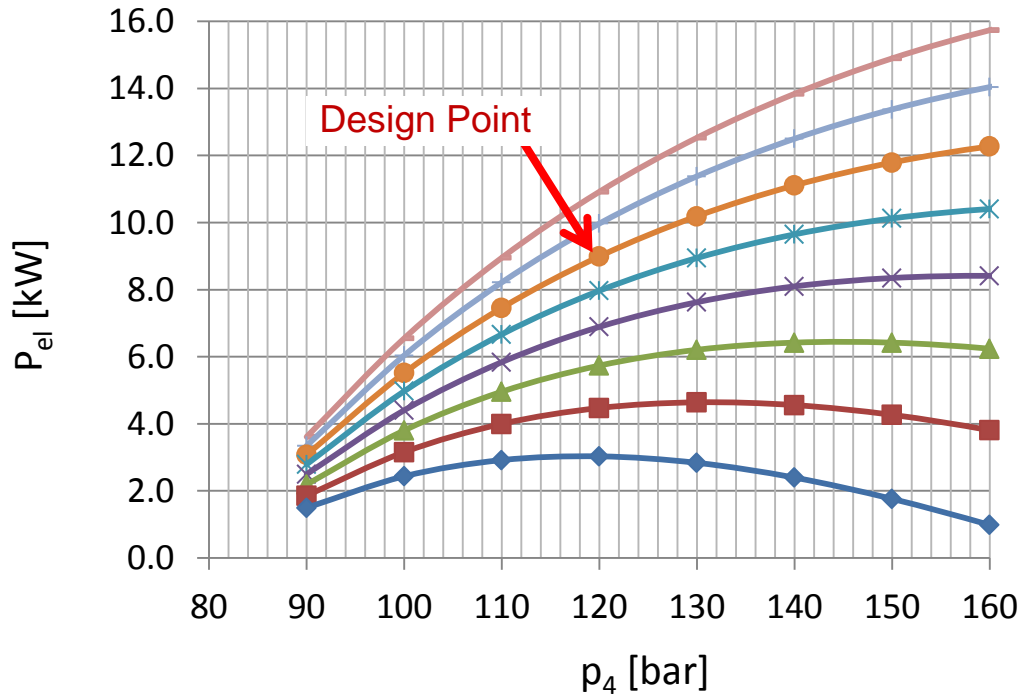
## T<sub>4</sub> (Entrance turbine):

— T = 240 °C  
— T = 220 °C  
— T = 200 °C  
— T = 180 °C  
— T = 160 °C  
— T = 140 °C  
— T = 120 °C  
— T = 100 °C

# sCO<sub>2</sub>-HeRo calculations IV

- Determination of the design point

- Max. pressure high pressure side → compression-ratio
- Max. temperature inlet turbine → power of slave electrical heater



### Design Point:

$$p_1 = 78 \text{ bar}$$

$$T_1 = 33 \text{ }^\circ\text{C}$$

$$p_4 = 117 \text{ bar}$$

$$T_4 = 200 \text{ }^\circ\text{C}$$

$$\eta_{C,is} = 0.65$$

$$\eta_{T,is} = 0.75$$

$$m' = 0.65 \text{ kg/s}$$

$$Q_{in\_GM} = 6 \text{ kW}$$

$$Q_{in\_SH} = 196 \text{ kW}$$

$$P_{el} = -8.7 \text{ kW}$$

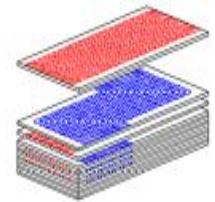
# Compact heat exchanger

- Advantages of a compact heat exchanger (CHX)

- High heat transfer area per volume
  - Retrofitting the CHX into existing power plants
- CHX plates are bonded modularly by diffusion bonding
  - Homogeneous structure
- Temperatures up to 900 °C and pressure up to 1000 bar

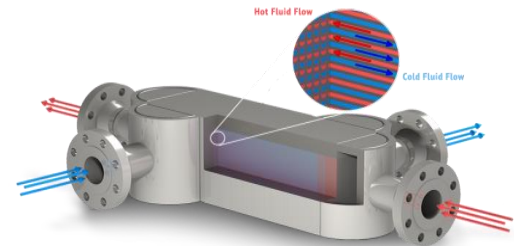
- Advantages of sCO<sub>2</sub> as working fluid near the critical point ( $T_c = 31 \text{ °C}$ ,  $p_c = 74 \text{ bar}$ )

- High specific heat  $c_p$  → low mass flow
- High heat-transfer coefficient  $\alpha$  → high heat transfer
- Low viscosity  $\eta$  → low pressure drop



3) Heatric  
[http://www.heatric.com/heat\\_exchanger\\_performance.html](http://www.heatric.com/heat_exchanger_performance.html), last used 05.2016

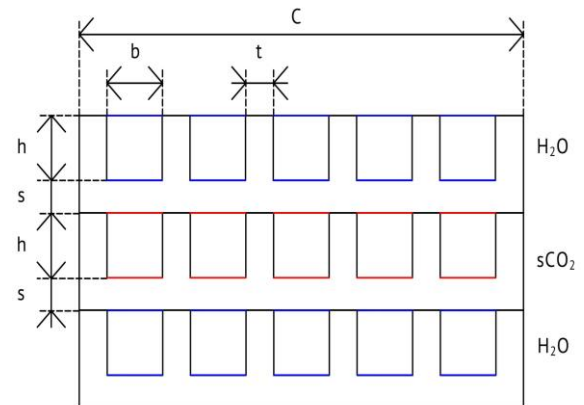
3) Nuclear Hydrogen System lab  
<http://cfife3.uf.tistory.com/image/1909034A5052F5B622FEC0>, last used 06.2016



4) Heatexchanger VPE  
[http://heatexchanger.vpei.com/\\_images/product.png](http://heatexchanger.vpei.com/_images/product.png), last used 06.2016

# Compact heat exchanger II

- Assumptions for the calculations
  - Counter current flow between  $s\text{CO}_2$  and  $\text{H}_2\text{O}$ 
    - high heat transfer per surface area
    - gravity driven  $\text{H}_2\text{O}$  condensate flow
  - No pressure drop in the channels
  - Equal amount of  $s\text{CO}_2$  and  $\text{H}_2\text{O}$  channels
  - Same channel geometry on both sides
  - Heat transfer occur only at the top and bottom of the channels



# Compact heat exchanger III – Iteration scheme

**sCO<sub>2</sub>**  
input parameter

$$m_{\text{sCO}_2} = f \text{ (number of channels)}$$

$$T_{\text{sCO}_2\text{\_in}} = 47 \text{ }^\circ\text{C}$$

$$p_{\text{sCO}_2\text{\_in}} = 117 \text{ bar}$$

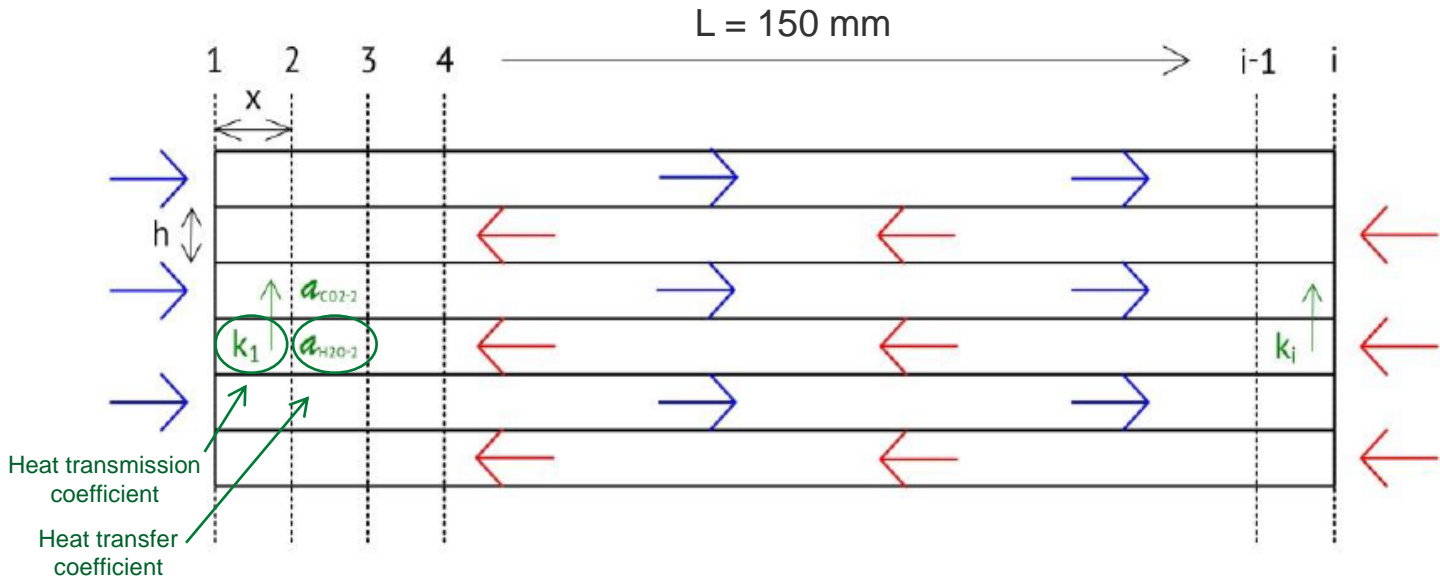
**H<sub>2</sub>O**  
input parameter

$$m_{\text{H}_2\text{O}} = f \text{ (number of channels)}$$

$$T_{\text{H}_2\text{O\_in}} = 70 \text{ }^\circ\text{C}$$

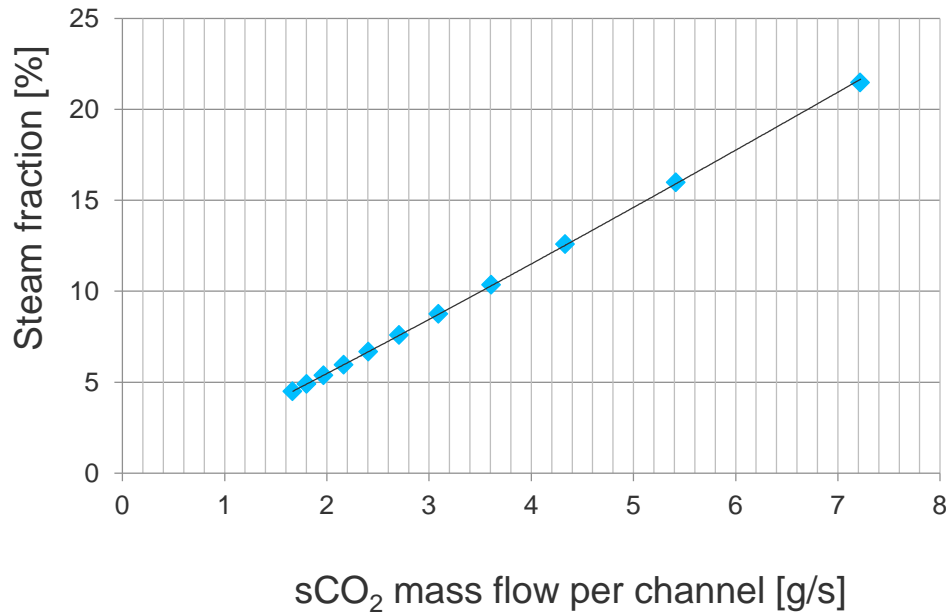
$$p_{\text{H}_2\text{O\_in}} = 0.3 \text{ bar}$$

$$x_{\text{H}_2\text{O\_in}} = 100 \text{ \%}$$



# Compact heat exchanger VI

- Example of calculation results for 3x1 mm channel geometry



→  $m_{\text{sCO}_2} = 650 \text{ g/s}$

→  $n_{\text{Channel}} = 90 - 390$

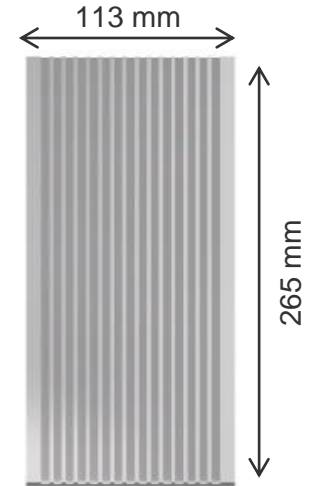
→  $m_{\text{sCO}_2\text{,p.c.}} = 7.2 - 1.7 \text{ g/s}$

→  $Re_{\text{sCO}_2} = 77\,000 - 17\,700$

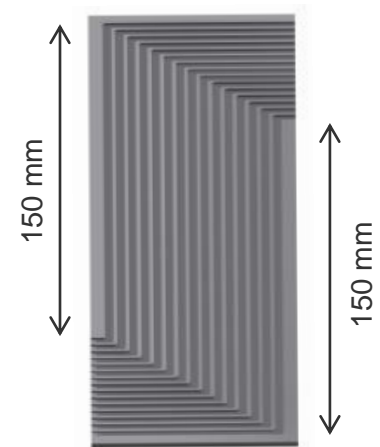
→ Results must be validated in laboratory scaled experiments at USTUTT

# Manufacturing of the CHX plates

- Steps for experimental investigation
  1. Two-plate CHX test
  2. Determine the glass model CHX
- Provide drafts of the two-plate CHX
  - maximum sCO<sub>2</sub> mass flow of  $m'_{\text{sCO}_2} = 110 \text{ g/s}$
  - maximum steam mass flow of  $m'_{\text{H}_2\text{O}} = 0.69 \text{ g/s}$
  - plate size at the diffusion bonding device
- As example the plate design for experimental investigation of the 3x1 mm channel geometry
  - Effective channel length: 150 mm
  - Number of channels: 15



**H<sub>2</sub>O - plate**

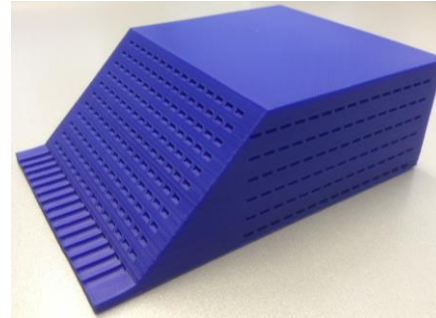
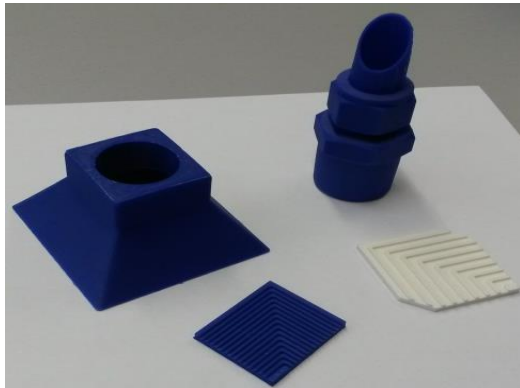
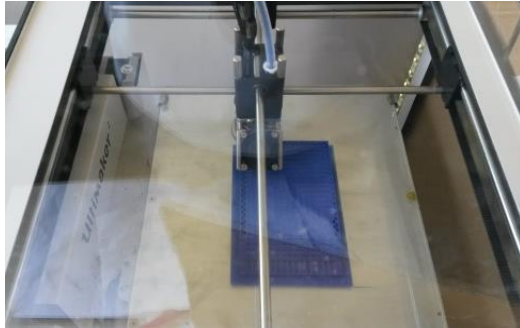


**sCO<sub>2</sub> - plate**

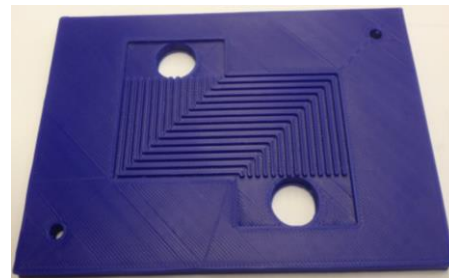


# Manufacturing of the CHX plates II

- 3-D print for visualization



3-D print of stacked plates  
3x1 mm channel geometry

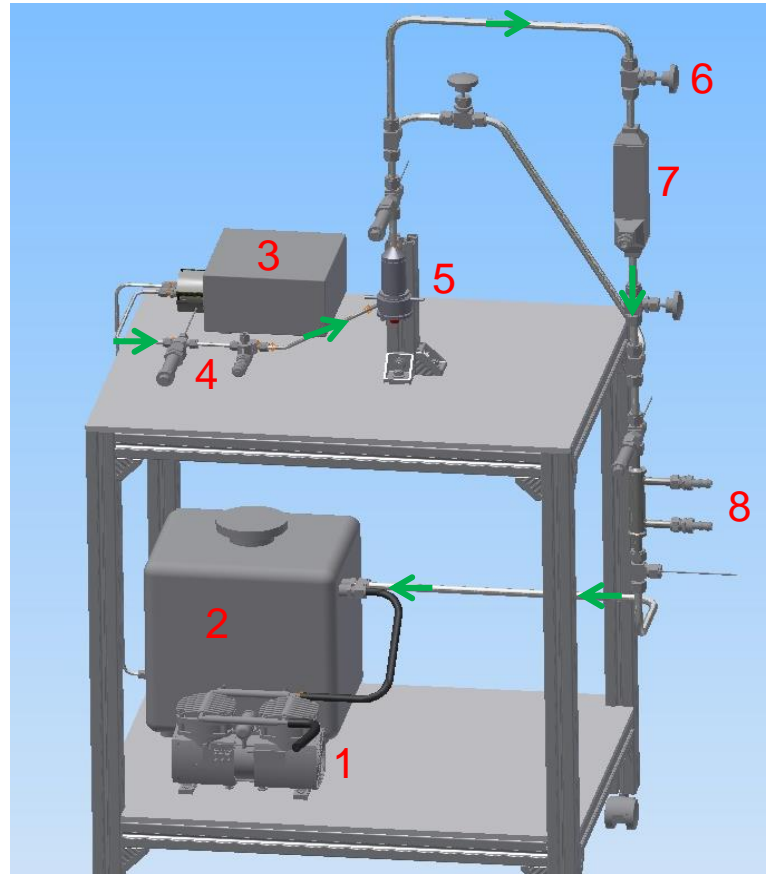


Detail of the CO<sub>2</sub>-test plate  
1x1 mm channel geometry

# Experimental investigation of the CHX

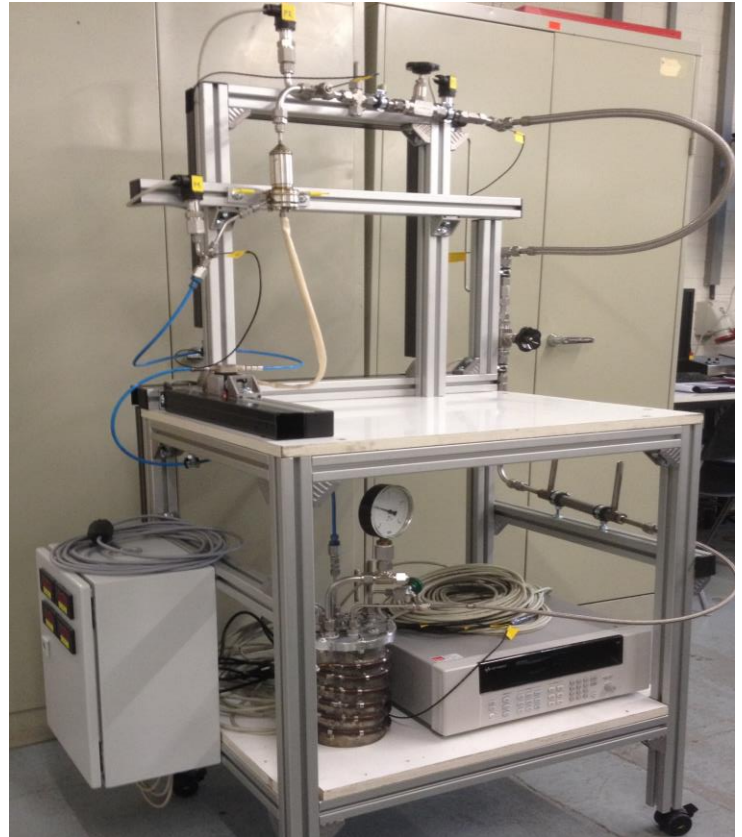
- Experimental investigation of the CHX plates take place at the SCARLETT test loop and the new build up steam cycle

1. Vacuum-Pump
2. Storage Vessel
3. Membrane-Pump
4. Measurement Devices
5. Evaporator
6. Valves
7. CHX Plates
8. Condenser & Kryostat



# Experimental investigation of the CHX II

- Build-up status:
  - Mechanical work → finished
  - Electrical work → in progress
  - Data acquisition → in progress
  - CHX plates → in progress
- \* Start of operation: End of 2016 \*



## Summary

- Thermodynamic sCO<sub>2</sub> cycle calculations were carried out and cycle parameters were determined with respect to the maximum generator excess electricity
- Design of the first CHX-test-plates for the experimental investigations in the steam cycle are completed
- Steam cycle was designed, drafts were provided, components bought and the test loop is under construction

## Further work

- Finalize build-up of the steam cycle and data acquisition
- Experimental investigation of the heat transfer in the two-plate CHX
- Manufacturing and testing of the CHX for the glass model in 2017



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**Thank you!**

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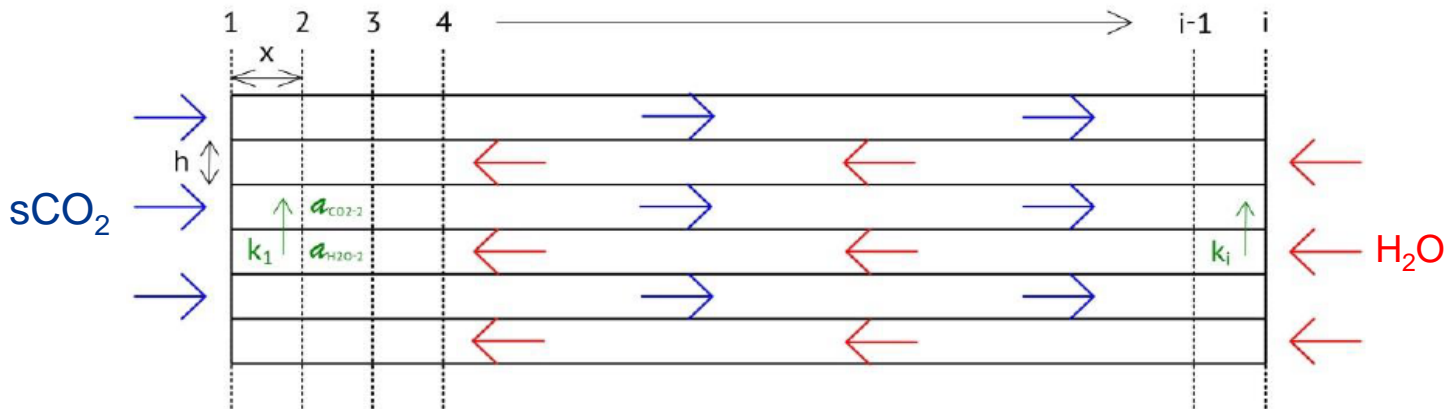
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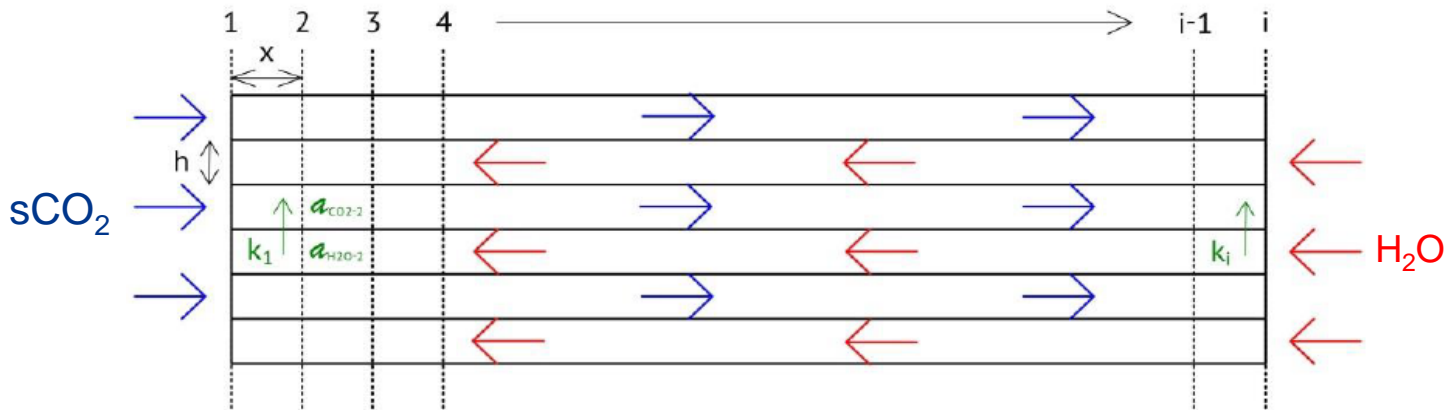
# Compact heat exchanger IV

1. Educated guess of  $m_{\text{H}_2\text{O}_{1-i}}$  in each section  $i$  ( $x = 0.5$  mm), to calculate the heat transfer coefficients  $\alpha_{\text{H}_2\text{O}_{1-i}}$  by Carpenter&Colburn correlation
2. Calculation of the heat transfer coefficient  $\alpha_{\text{CO}_2_{1}}$  by Gnielinski and the Nu-number
3. Consider the plate thickness  $s$  between  $\text{H}_2\text{O}$  and  $\text{sCO}_2$  channel and the heat conductivity  $\lambda$  of stainless steel
4. Calculation of the heat transmission coefficient  $k_1$  by equation  $\frac{1}{k_1} = \frac{1}{\alpha_{\text{H}_2\text{O}_{1-i}}} + \frac{s}{\lambda} + \frac{1}{\alpha_{\text{CO}_2_{1-i}}}$
5. Calculation of the transferred heat  $Q_1$  in discretisation section 1-2 with  $Q_1 = k_1 * A_1 * \Delta T$



# Compact heat exchanger V

6. Calculation of sCO<sub>2</sub> temperature  $T_{2\_sCO_2}$  at point 2 with  $Q_1$  and  $m'_{sCO_2}$
7. Calculation of H<sub>2</sub>O condensate from 1 → 2 with  $Q_1$  and the enthalpy of condensation
8. Calculation of steam “new” mass flow  $m_{H_2O\_2}$  at point 2 with calculated amount of condensate from 1 → 2
9. Calculation done for the entire length of the CHX, followed by an iteration process





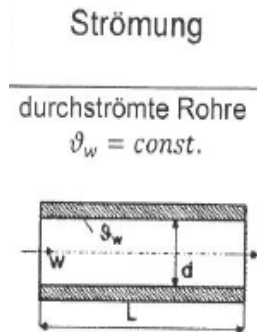
# Back-up

## (1) Carpenter & Colburn correlation

Strömung	Nusselt-Zahl	Gültigkeitsbereich	
		Re	Pr
Filmkondensation strömender Dämpfe im senkrechten Rohr	<p style="text-align: right;">Carpenter &amp; Colburn</p> $\alpha_m = 0,023 \frac{\lambda_F}{\eta_F} \dot{m} \sqrt{Pr_F \frac{\rho_F}{\rho_D}} \xi$ <p>mit <math>\dot{M}</math> Massenstrom des Dampfes  <math>A</math> Strömungsquerschnitt  <math>\xi = \xi(Re)</math> Widerstandsbeiwert, z.B. nach Blasius <math>\xi = \frac{0,3164}{\sqrt[4]{Re_D}}</math></p> <p>mittlere Massenstromdichte</p> $\dot{m} = \frac{\dot{M}}{A} = \sqrt{\frac{1}{3} (\dot{m}_{ein}^2 + \dot{m}_{ein} \dot{m}_{aus} + \dot{m}_{aus}^2)}$ <p><math>\dot{m}_{ein}</math> und <math>\dot{m}_{aus}</math> sind Massenstromdichten am Ein- bzw Austritt des Rohres.  Die Reynoldszahl <math>Re_D</math> ist zu berechnen, als ob kein Kondensat im Rohr sei.</p>		

# Back-up

## (1) Gnielinski correlation



$Nu_d = \frac{\xi/8 Re_d Pr}{1 + 12,7 \sqrt{\frac{\xi}{8}} (Pr^{2/3} - 1)} \left[ 1 + \left(\frac{d}{L}\right)^{2/3} \right]$ <p>mit <math>\xi = (1,8 \log(Re_d) - 1,5)^{-2}</math></p>	<p>Gnielinski</p> <p>turbulent</p> $10^4 \leq Re_d \leq 10^6$	$0,1 \leq Pr \leq 1000$  $\frac{d}{L} \leq 1$
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## (2) Nußeltzahl

Definition	$Nu = \frac{\alpha \cdot L}{\lambda_l}$
$\alpha$	Wärmeübergangskoeffizient
$L$	charakteristische Länge
$\lambda_l$	Wärmeleitfähigkeit des Fluids

# Back-up

## (1) Reynoldszahl

$$Re = \frac{\rho \cdot v \cdot d}{\eta}$$

$\rho$	Dichte
$v$	Strömungsgeschwindigkeit
$d$	charakteristische Länge
$\eta$	dynamische Viskosität